Introduction to Compiler Construction

Parsing: Preliminaries

Outline



2 Context-free Grammars and Languages

3 Ambiguous Grammars and Languages

The program that does this is called a parser

The program that does this is called a parser

A parser should:

- Make sure the program is syntactically valid, ie, conforms to the grammar describing the program's syntax
- Identify syntax errors and report them along with the line numbers they appear on
- Not stop on the first error, but report the error, recover from it, and look for additional errors
- Produce an intermediate representation (IR) of the parsed program that is suitable for semantic analysis

The program that does this is called a parser

A parser should:

- Make sure the program is syntactically valid, ie, conforms to the grammar describing the program's syntax
- Identify syntax errors and report them along with the line numbers they appear on
- Not stop on the first error, but report the error, recover from it, and look for additional errors
- Produce an intermediate representation (IR) of the parsed program that is suitable for semantic analysis

In j--, the IR is in the form of an abstract syntax tree (AST)

Example: parsing the *j*-- program

4> HelloWorld.java 1 // Writes the message "Hello, World" to standard output. 3 import java.lang.System; 4 public class HelloWorld { 6 // Entry point. 7 public static void main(String[] args) { 8 System.out.println("Hello, World"); 9 } 0 }

results in the following AST

```
"JCompilationUnit:3":
           "source": "tests/HelloWorld.java", "imports": ["java.lang.System"],
           ".IClassDeclaration:5":
6
               "modifiers": ["public"],
               "name": "HelloWorld".
               "super": "java.lang.Object",
               "JMethodDeclaration:7":
                   "modifiers": ["public", "static"],
                   "returnType": "void",
                   "name": "main".
                   "parameters": [["args", "String[]"]],
                   "JBlock:7":
                       "JStatementExpression:8":
                           "JMessageExpression:8":
                                "ambiguousPart": "System.out", "name": "println",
                                "Argument":
                                   "JLiteralString:8":
                                        "type": "", "value": "Hello, World"
36 }
```

The nodes in the AST represent syntactic objects and the edges correspond to their attributes

The nodes in the AST represent syntactic objects and the edges correspond to their attributes

The tree representation for a program is easier to analyze and decorate (with type information) than text

The nodes in the AST represent syntactic objects and the edges correspond to their attributes

The tree representation for a program is easier to analyze and decorate (with type information) than text

The AST makes the syntax implicit in the program text, explicit

Recursive programming languages such as j-- are best described by context-free grammar rules, using a notation called Backus-Naur Form (BNF)

Recursive programming languages such as j-- are best described by context-free grammar rules, using a notation called Backus-Naur Form (BNF)

Example: the rule

S ::= if(E) S

says that, if E is an expression and S is a statement, then

if (E) S

is also a statement

Example: the rule

 $\begin{array}{c} S ::= \text{ if } (E) \ S \\ \mid \text{ if } (E) \ S \text{ else } S \end{array}$

is shorthand for

S ::= if (E) SS ::= if (E) S else S

Example: the rule

 $\begin{array}{c} S ::= {}_{\operatorname{if}} (E) \ S \\ | {}_{\operatorname{if}} (E) \ S {}_{\operatorname{else}} \ S \end{array}$

is shorthand for

S ::= if (E) SS ::= if (E) S else S

Square brackets indicate that a phrase is optional

Example: the rule

 $\begin{array}{c} S ::= {}_{\operatorname{if}} (E) \ S \\ | {}_{\operatorname{if}} (E) \ S {}_{\operatorname{else}} \ S \end{array}$

is shorthand for

 $\begin{array}{l} S ::= {\scriptstyle \text{if}} (E) \ S \\ S ::= {\scriptstyle \text{if}} (E) \ S {\scriptstyle \text{else}} \ S \end{array}$

Square brackets indicate that a phrase is optional

Example: the two rules from above can be written as

S ::= if(E) S [else S]

Curly braces denote the Kleene closure, indicating that the phrase may appear zero or more times

Curly braces denote the Kleene closure, indicating that the phrase may appear zero or more times

Example: the rule

 $E ::= T \{+ T\}$

says that an E may be written as T (for term) followed by zero or more occurrences of + followed by T, such as

 $T + T + T + T \dots$

One may use the alternation sign | to denote a choice and parentheses for grouping

One may use the alternation sign | to denote a choice and parentheses for grouping

Example: the rule

 $E ::= T \{(+ | -) T\}$

says that the additive operator may be either + or -, such as

 $T + T - T + T \dots$

Example (BNF rules in *j*--):

```
compilationUnit ::= [ PACKAGE qualifiedIdentifier SEMI ]
            { IMPORT qualifiedIdentifier SEMI }
            { typeDeclaration }
            EOF
qualifiedIdentifier ::= IDENTIFIER { DOT IDENTIFIER }
typeDeclaration ::= modifiers classDeclaration
modifiers ::= { ABSTRACT | PRIVATE | PROTECTED | PUBLIC | STATIC }
classDeclaration ::= CLASS IDENTIFIER [ EXTENDS qualifiedIdentifier ] classBody
classBody ::= LCURLY { modifiers memberDecl } RCURLY
```

A context-free grammar is a tuple G = (N, T, S, P), where

- N is a set non-terminals
- T is a set of terminals
- $S \in N$ is the start symbol
- P is a set of productions (aka rules)

Example: arithmetic expression grammar A = (N, T, S, P), where

- $N = \{E, T, F\}$
- $T = \{$ +, *, (,), id $\}$
- S = E
- P is the following set of productions
 - E ::= E * T E ::= T T ::= T * F T ::= F $F ::= \langle E \rangle$ F ::= id

Example: arithmetic expression grammar A = (N, T, S, P), where

- $N = \{E, T, F\}$
- $T = \{+, *, (,), id\}$
- S = E
- P is the following set of productions
 - E ::= E + TE ::= TT ::= T + FT ::= FF ::= (E)F ::= id

A grammar can be specified informally as a sequence of productions
From the start symbol, using productions, we can generate infinitely many strings

Example (strings generated from the start symbol E in A):

 $E \Rightarrow E + T$ $\Rightarrow T + T$ $\Rightarrow F + T$ $\Rightarrow id + T$ $\Rightarrow id + F + F$ $\Rightarrow id + id + F$ $\Rightarrow id + id + id$

When one string can be re-written as another string, using zero or more production rules from the grammar, we say the first string derives ($\stackrel{*}{\Rightarrow}$) the second string

When one string can be re-written as another string, using zero or more production rules from the grammar, we say the first string derives $(\stackrel{\Rightarrow}{\Rightarrow})$ the second string

Example (derivations using productions in A):

```
E \stackrel{*}{\Rightarrow} E \text{ (in zero steps)}E \stackrel{*}{\Rightarrow} {}_{id} * F * FT * T \stackrel{*}{\Rightarrow} {}_{id} * {}_{id} * {}_{id}
```

The language L(G) described by a grammar G consists of all the strings comprised of only terminal symbols, ie, $L(G) = \{w | S \stackrel{*}{\Rightarrow} w \text{ and } w \in T*\}$

The language L(G) described by a grammar G consists of all the strings comprised of only terminal symbols, ie, $L(G) = \{w | S \stackrel{*}{\Rightarrow} w \text{ and } w \in T*\}$

Example (the language L(A)):

 $E \stackrel{*}{\Rightarrow} id$ $E \stackrel{*}{\Rightarrow} id + id * id$ $E \stackrel{*}{\Rightarrow} (id + id) * id$

so, L(A) includes each of

id id + id * id (id + id) * id

and infinitely more finite strings

A left-most derivation is a derivation in which at each step, the next string is derived by applying a production for rewriting the left-most non-terminal

Example (left-most derivation using productions in A):

 $\underbrace{\underline{E}} \Rightarrow \underbrace{\underline{E}} * T \\ \Rightarrow \underbrace{T} * T \\ \Rightarrow \underbrace{F} * T \\ \Rightarrow id * T \\ \Rightarrow id * \underbrace{F} * F \\ \Rightarrow id * \underbrace{F} * F \\ \Rightarrow id * id * \underbrace{F} \\ \Rightarrow id + id * id$

A right-most derivation is a derivation in which at each step, the next string is derived by applying a production for rewriting the right-most non-terminal

Example (right-most derivation using productions in A):

 $\underbrace{E} \Rightarrow E + \underbrace{T} \\ \Rightarrow E + \underbrace{T} \cdot \underbrace{F} \\ \Rightarrow E + \underbrace{T} \cdot id \\ \Rightarrow E + \underbrace{F} \cdot id \\ \Rightarrow \underbrace{E} \cdot id \cdot id \\ \Rightarrow \underbrace{T} \cdot id \cdot id \\ \Rightarrow \underbrace{F} \cdot id \cdot id \\ \Rightarrow id \cdot id \cdot id$

A sentential form is any string of terminal and non-terminal symbols that can be derived from the start symbol

A sentential form is any string of terminal and non-terminal symbols that can be derived from the start symbol

A sentence is any string of only terminal symbols that can be derived from the start symbol

A sentential form is any string of terminal and non-terminal symbols that can be derived from the start symbol

A sentence is any string of only terminal symbols that can be derived from the start symbol

Example (sentential forms and sentences derived using the start symbol E in A):

E E + T E + T * F... F + id * id id + id * id

are all sentential forms and id + id * id is a sentence

A parse tree illustrates the derivation (and structure) of a sentence (at the leaves) from a start symbol (at the root)

Example (parse tree for id + id * id in L(A)):



Given a grammar G, if there exists a sentence $s \in L(G)$ for which there are more than one left- (or right-) most derivations or parse trees, we say the sentence s is ambiguous

Given a grammar G, if there exists a sentence $s \in L(G)$ for which there are more than one left- (or right-) most derivations or parse trees, we say the sentence s is ambiguous

If a grammar G derives at least one ambiguous sentence, we say the grammar G is ambiguous; if there is no such sentence, we say the grammar is unambiguous

Example (ambiguous arithmetic expression grammar A_{amb}):

E ::= E + E | E * E | (E) | id

Example (ambiguous arithmetic expression grammar A_{amb}):

E ::= E + E | E * E | (E) | id

One left-most derivation and corresponding parse tree for the sentence id + id * id:

 $\underline{\underline{E}} \Rightarrow \underline{\underline{E}} + \underline{\underline{E}}$ $\Rightarrow id + \underline{\underline{E}}$ $\Rightarrow id + \underline{\underline{E}} * \underline{\underline{E}}$ $\Rightarrow id + id * \underline{\underline{E}}$ $\Rightarrow id + id * id$



Example (ambiguous arithmetic expression grammar A_{amb}):

E ::= E + E | E * E | (E) | id

One left-most derivation and corresponding parse tree for the sentence id + id * id:



Another left-most derivation and corresponding parse tree for id + id * id:

 $\underline{\underline{E}} \Rightarrow \underline{\underline{E}} * \underline{E}$ $\Rightarrow \underline{\underline{E}} * \underline{E} * \underline{E}$ $\Rightarrow id + \underline{\underline{E}} * \underline{E}$ $\Rightarrow id + id * \underline{\underline{E}}$ $\Rightarrow id + id * id$



Example (dangling-else problem):

$$S ::= if (E) S$$

$$| if (E) S_{else} S$$

$$| s$$

$$E ::= e$$

Example (dangling-else problem):

```
S ::= if (E) S
| if (E) S else S
| s
E ::= e
```

Two left-most derivations and corresponding parse trees for the sentence if (e) if (e) s else s



Resolution of the dangling-else problem:

$$S ::= if E do S$$

$$| if E then S else S$$

$$| s$$

$$E ::= e$$

Resolution of the dangling-else problem:

S ::= if E do S | if E then S else S | s E ::= e

But programmers have become accustomed to (and fond of) the ambiguous conditional

Resolution of the dangling-else problem:

S ::= if E do S | if E then S else S | s E ::= e

But programmers have become accustomed to (and fond of) the ambiguous conditional

Compiler writers handle the rule as a special case in the parser such that an $_{else}$ is grouped along with the closest preceding $_{st}$

j-- has another ambiguity, which is the problem of parsing the expression x.y.z.w (eg, java.lang.Math.PI)

j-- has another ambiguity, which is the problem of parsing the expression x.y.z.w (eg, java.lang.Math.PI)

Clearly w is a field, but what about x.y.z?

j-- has another ambiguity, which is the problem of parsing the expression x.y.z.w (eg, java.lang.Math.PI)

Clearly w is a field, but what about x.y.z?

 $_{\rm x}$ might refer to an object with a field y, referring to another object with a field z, referring to the field y

j-- has another ambiguity, which is the problem of parsing the expression x.y.z.w (eg, java.lang.Math.PI)

Clearly w is a field, but what about x.y.z?

x might refer to an object with a field y, referring to another object with a field z, referring to the field y

 $_{x,y}$ might be a package in which the class $_z$ is defined, and $_w$ a static field in that class
j-- has another ambiguity, which is the problem of parsing the expression x.y.z.w (eg, java.lang.Math.PI)

Clearly w is a field, but what about x.y.z?

x might refer to an object with a field y, referring to another object with a field z, referring to the field y

 $_{\rm x,y}$ might be a package in which the class $_{\rm z}$ is defined, and $_{\rm w}$ a static field in that class

The parser cannot determine how the expression x.y.z is parsed because types are not decided until semantic analysis

j-- has another ambiguity, which is the problem of parsing the expression x.y.z.w (eg, java.lang.Math.PI)

Clearly w is a field, but what about x.y.z?

x might refer to an object with a field y, referring to another object with a field z, referring to the field y

 $_{\rm x,y}$ might be a package in which the class $_{\rm z}$ is defined, and $_{\rm w}$ a static field in that class

The parser cannot determine how the expression x.y.z is parsed because types are not decided until semantic analysis

The parser represents x.y.z in the AST as an AmbiguousName node, which gets reclassified during semantic analysis